## BGGN 213

Data visualization with $R$

## Recap From Last Time:

- What is $R$ and why should we use it?
- Familiarity with R's basic syntax.
- Familiarity with major R data structures namely vectors and data.frames.
- Understand the basics of using functions (arguments, vectorizion and re-cycling).
- Appreciate how you can use R scripts to aid with reproducibility.
[MPA Link]


## Today's Learning Goals

- Appreciate the major elements of exploratory data analysis and why it is important to visualize data.
- Be conversant with data visualization best practices and understand how good visualizations optimize for the human visual system.
- Be able to generate informative graphical displays including scatterplots, histograms, bar graphs, boxplots, dendrograms and heatmaps and thereby gain exposure to the extensive graphical capabilities of R.
- Appreciate that you can build even more complex charts with


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- Appreciate that you can build even more complex charts with ggplot and additional $R$ packages such as rgl.

Why visualize at all?




## https://bioboot.github.io/bggn213 S18/class-material/05 draw circle points



## Exploratory Data Analysis

- ALWAYS look at your data!
- If you can't see it, then don't believe it!
- Exploratory Data Analysis (EDA) allows us to:

1. Visualize distributions and relationships
2. Detect errors
3. Assess assumptions for confirmatory analysis

- EDA is the first step of data analysis!


## Exploratory Data Analysis 1977

- Based on insights developed at Bell Labs in the 60's
- Techniques for visualizing and summarizing data
- What can the data tell us? (in contrast to "confirmatory" data analysis)
- Introduced many basic techniques:
- 5-number summary, box plots, stem and leaf diagrams,...
- 5 Number summary:
- extremes (min and max)
- median \& quartiles
- More robust to skewed \& longtailed distributions


John W. Tukey
EXPLORATORY DATA ANALYSIS

- --

Looking at Data

https://en.wikjpedia.org/wiki/Anscombe\'s quartet


## Key Point:

## Good visualizations optimize for the human visual system.

Key Point: The most important measurement should exploit the highest ranked encoding possible

- Position along a common scale
- Position on identical but nonaligned scales
- Length
- Angle or Slope
- Area
- Volume or Density or Color saturation/hue

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saturation
hue $\square$




If we did not have the legend would you know which was low or high mpg?


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Cadillac Flee Lincoln Cont Camaro Z28 Duster 360 Chrysler Imp Maserati Bor AMC Javelin Merc 450SL


Dodge Challt Ford Panters Merc 450SE Merc 450SL Merc 280C Valiant Homet Sport Merc 280


Pontiac Firet Ferrai Dino Mazda RX4 Mazda RX4! Homet 4 Drit Volvo 142E Toyota Corol Datsun 710


Merc 230 Merc 240D Porsche 914 Fiat X1-9 Honda Civic Lotus Europi Fiat 128 Toyota Corol


$\begin{array}{llllll}0.01- \\ 1950 & 1960 & 1970 & 1980 & 1990 & \\ & & & & & \\ & & & & & \end{array}$

- Oceania

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Piecharts are the information visualization equivalent of a roofing hammer to the frontal lobe. They have no place in the world of grownups, and occupy the same semiotic space as short pants, a runny nose, and chocolate smeared on one's face. They are as professional as a pair of assless chaps.

## Observation: Pie charts are ALWAYS a mistake.

Piecharts are the information visualization equivalent of a roofing hammer to the frontal lobe. They have no place in the world of grownups, and occupy the same semiotic space as short pants, a runny nose, and chocolate smeared on one's face. They are as professional as a pair of assless chaps.


Who do you think did a better job in tonight's debate?
Among Republicans Among Democrats


Hillary Clinton $99 \%$

Tables are preferable to graphics for many small data sets. A table is nearly always better than a dumb pie chart; the only thing worse than a pie chart is several of them, for then the viewer is asked to compare quantities located in spatial disarray both within and between pies... Given their low data-density and failure to order numbers along a visual dimension, pie charts should never be used.

Who do you think did a better job in tonight's debate?

|  | Clinton | Trump |
| :--- | ---: | ---: |
| Among Democrats | $99 \%$ | $1 \%$ |
| Among Republicans | $53 \%$ | $47 \%$ |



## All good pie charts are jokes...

The most important measurement should exploit the highest ranked encoding possible.

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Different graphs for different purposes

Exploratory graphs: many images for a narrow audience (you!) Presentation graphs: single image for a large audience


Presentation


Exploration

## Core R Graph Types



## Roles of graphics in data analysis

- Graphs (\& tables) are forms of communication:
- What is the audience?
- What is the message?

Analysis graphs: design to see patterns, trends, aid the process of data description, interpretation

Presentation graphs: design to attract attention, make a point, illustrate a conclusion


## The R Painters Model



Side-Note: "Red and green should never be seen"


## Plot (scatterplots and line graphs)



- Input: Almost anything. $2 \times$ Vectors
- Output: Nothing
- Options:
- type l=line, $p=$ point, $b=$ line+point
- lwd line width (thickness)
- lty line type (1=solid, $2=$ dashed, $3=$ dotted etc.)
plot( $c(1: 10)^{\wedge} 2$, typ="b", $\operatorname{lwd=4,~Ity=3)}$


## Hist (histograms)



- Input: Vector
- Output: Summary of binned data
- Options:
- breaks Number or limits of bins
- probability Y axis is probability, not freq
- labels Per bin text labels


## Barplot (bar graphs)



- Input: Vector (single) or Matrix (stack or group)
- Output: Bar centre positions
- Options:
- names.arg Bar labels (if not from data)
- horiz=TRUE Plot horizontally
- beside=TRUE Plot multiple series as a group not stacked
barplot(VADeaths, beside = TRUE)


## Boxplot



- Input: Vector, List or formula (data~factor)
- Output: Summary of the boxplot parameters
- Options:
- range Sensitivity of whiskers
- varwidth Width represents total observations
- horizontal Plot horizontally

Controlling plot area options with par

## Par examples

- Reading current value
- par () \$cex
- Setting a value
- par(cex=1.5) -> old.par
- Restoring a value
- par (old.par)
- dev.off()


## Par

- The par function controls global parameters affecting all plots in the current plot area
- Changes affect all subsequent plots
- Many par options can also be passed to individual plots


## ?par

## Par options

- Margins
- mai (set margins in inches)
- mar (set margins in number of lines)
- mex (set lines per inch)
- 4 element vector (bottom, left, top, right)
- Warning
- Error in plot.new() : figure margins too large



## Par options

- Fonts and labels
- cex - global char expansion
- cex.axis
- cex.lab
- cex.main
- cex.sub


## Par options

- Multi-panel
- par ( mfrow(rows,cols) )



## Exercise 1

## Specifying colors

- Hexadecimal strings
- \#FF0000 (red)
- \#0000FF (blue)
- \#CCOOCC (purple)
- Controlled names
- "red" "green" etc.
- colors()


## Using Color

## Built in color schemes

- Functions to generate colors
- Pass in number of colors to make
- Functions:
- rainbow()
-heat.colors()
- cm.colors()
-terrain.colors()
-topo.colors()



## Applying Color to Plots

- Vector of numbers or specified colors passed to the col parameter of a plot function
- Vector of factors used to divide the data
- Colors will be taken from the set color palette
- Can read or set using pallete function
- palette()
- palette (brewer.pal (9, "Set1")


## Color Packages

- Color Brewer
- Set of pre-defined, optimized palettes
- library (RColorBrewer)
- brewer.pal(n_colours, palette)
- ColorRamps
- Create smooth palettes for ramped color
- Generates a function to make actual color vectors
- colorRampPalette(c("red","white","blue"))
- colorRampPalette(c("red","white","blue"))(5)


## Dynamic use of color

- Coloring by density
- Pass data and palette to densCols()
- Vector of colors returned
- Coloring by value
- Need function to map values to colors


## Exercise 2

Q: 2B. stringsAsFactors = TRUE vs stringsAsFactors = FALSE

## Exercise 2C Revisited

- Open your previous Lecture5 RStudio project (and your saved $\mathbf{R}$ script)
- Locate and open in RStudio the downloaded file color_to_value_map.r
- This is an example of a poorly written function typical of something you might get from a lab mate that knows some R.


## 1. What are the function inputs?

```
map.colors2 <- function(x, high.low, palette) {
    proportion <- ((x - high.low[1])/(high.low[2] - high.low[1]))
    index <- round( (length(palette)-1) * proportion )+1
    return(palette[index])
}
```

Let's first space things out so it is easier for us to read and then change to use $\mathbf{x}$ as our numeric input vector.

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}
Let's first space things out so it is easier for us to read and then change to use \(\mathbf{x}\) as our numeric input vector.
We can guess that high. low is a two element numeric vector and palette is probably a vector of colors
```


## 2. What is the function doing?

```
map.colors2 <- function(x, high.low, palette) {
    # Determine precent values of the 'high.low' range
    precent <- ((x - high.low[1])/(high.low[2] - high.low[1]))
    index <- round( (length(palette)-1) * precent )+1
    return(palette[index])
}
```

Let's change the object name from proportion to precent so it is more meaningful for us. Remember to change it everywhere ;-)

## 2. What is the function doing?

```
map.colors2 <- function(x, high.low, palette)
```

    \# Determine precent values of the 'high.low' range
    proportion <- ((x - high.low[1])/(high.low[2] - high.low[1]))
    index <- round ( (length(palette)-1) * proportion )+1
    return(palette[index])
    \}

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    index <- round( length(palette) * precent )
    return(palette[index])
```

\}

Doh! What happens if our precent value is zero or very small?
We will get an index value of zero, will cause a problem when accessing palette[index] in the last line

## 2. What is the function doing?

```
map.colors2 <- function(x, high.low, palette) {
    # Determine precent values of the 'high.low' range
    precent <- ((x - high.low[1])/(high.low[2] - high.low[1]))
    # Find corresponding index position in the color 'palette'
    # note catch for 0 precent values to 1
    index <- round( (length(palette)-1) * precent )+1
    return(palette[index])
}
```

Add a comment again to describe the logic of what our code is doing

## 3. How could we improve this function?

```
map.colors2 <- function(x, high.low, palette) {
    ## Description: Map the values of the input vector 'x'
    ## to the input colors vector 'palette'
    # Determine precent values of the 'high.low' range
    precent <- ((x - high.low[1])/(high.low[2] - high.low[1]))
    # Find corresponding index position in the color 'palette'
    # note catch for 0 precent values to 1
    index <- round( (length(palette)-1) * precent )+1
    return(palette[index])
```

\}
3. How could we improve this function?

```
map.colors3 <- function(x,
                                    low.high = range(x),
                                    palette = cm.colors(100)) {
## Description: Map the values of the input vector 'x'
## to the input colors vector 'palette'
# Determine precent values of the 'high.low' range
precent <- ((x - low.high[2])/(low.high[1] - low.high[2]))
# Find corresponding index position in the color 'palette'
# note catch for O precent values to I
index <- round( (length(palette)-1) * precent )+1
return(palette[index])
```

low.high = range(x),
palette $=$ cm.colors(100)) \{
\#\# Description: Map the values of the input vector 'x' \#\# to the input colors vector 'palette'
\# Determine precent values of the 'high.low' range precent <- ((x - low.high[2])/(low.high[1] - low.high[2]))
\# Find corresponding index position in the color 'palette'
index <- round ( (length (palette)-1) * precent )+1
return(palette[index])
\}

Make more user friendly in lots of ways including adding more
description, input argument defaults, error checking of inputs etc.

## Plot Overlays

## Exercise 3

## Lines / Arrows / Abline





- Input:
- Lines 2 vectors ( $x$ and $y$ )
- Arrows 4 vectors ( $\mathrm{x} 0, \mathrm{x} 1, \mathrm{y} 0, \mathrm{y} 1$ )
- Abline Intercept and slope (or correlation object)
- Options:
- lwd
- angle (arrows)


## Points



- Input: 2 Vectors ( x and y positions)
- Options:
- pch
- cex


## Polygon (shaded areas)



- Input:
-2 vectors ( $x$ and $y$ ) for bounding region
- Options:
- col


## Text (in plot text)



- Input:
- Text, x, y
- Options:
- adj (x and y offsets)
- pos (auto offset 1=below,2=left,3=above, 4=right)


## Exercise 3

[^0]
## Legend



- Input:
- Position (x,y or "topright","bottomleft" etc)
- Text labels
- Options:
- fill (colours for shaded boxes)
- xpd=NA (draw outside plot area)


## Homework!

New DataCamp Assignments

- Introduction to R Markdown
- Functions
- Loops

Muddy Point Assessment Form Link


[^0]:    Muddy Point Assessment Form Link

